

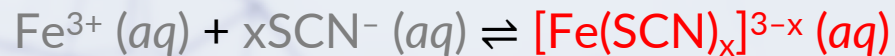


EXPERIMENT 7

Effect of Temperature on Equilibrium

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REACTION
OF
INTEREST



MAIN PURPOSES

Constancy of the value of K (independent of initial concentrations)

Dependence of K on temperature

Determination of ΔH° and ΔS° for this reaction

PART 1: DETERMINATION OF THE VALUE OF ϵ

Spectrophotometry to determine $[\text{Fe}(\text{SCN})_x]^{3-x}$

Beer-Lambert Law: $A = \epsilon c \ell$

Prepare three calibrating solution with known $[\text{Fe}(\text{SCN})_x]^{3-x}$



Measure their absorbances at a chosen wavelength



Plot Absorbance vs. $[\text{Fe}(\text{SCN})_x]^{3-x}$



Determine ϵ from the slope

PART 2: STOICHIOMETRY OF THE COMPLEX FORMATION

Use Job's method to determine x in $[\text{Fe}(\text{SCN})_x]^{3-x}$

Beer-Lambert Law: $A = \epsilon c \ell$

If the product is a 1:1 complex ($x = 1$), maximum amount of product is formed in solution with mole fraction of $\text{SCN}^- = 1/2$



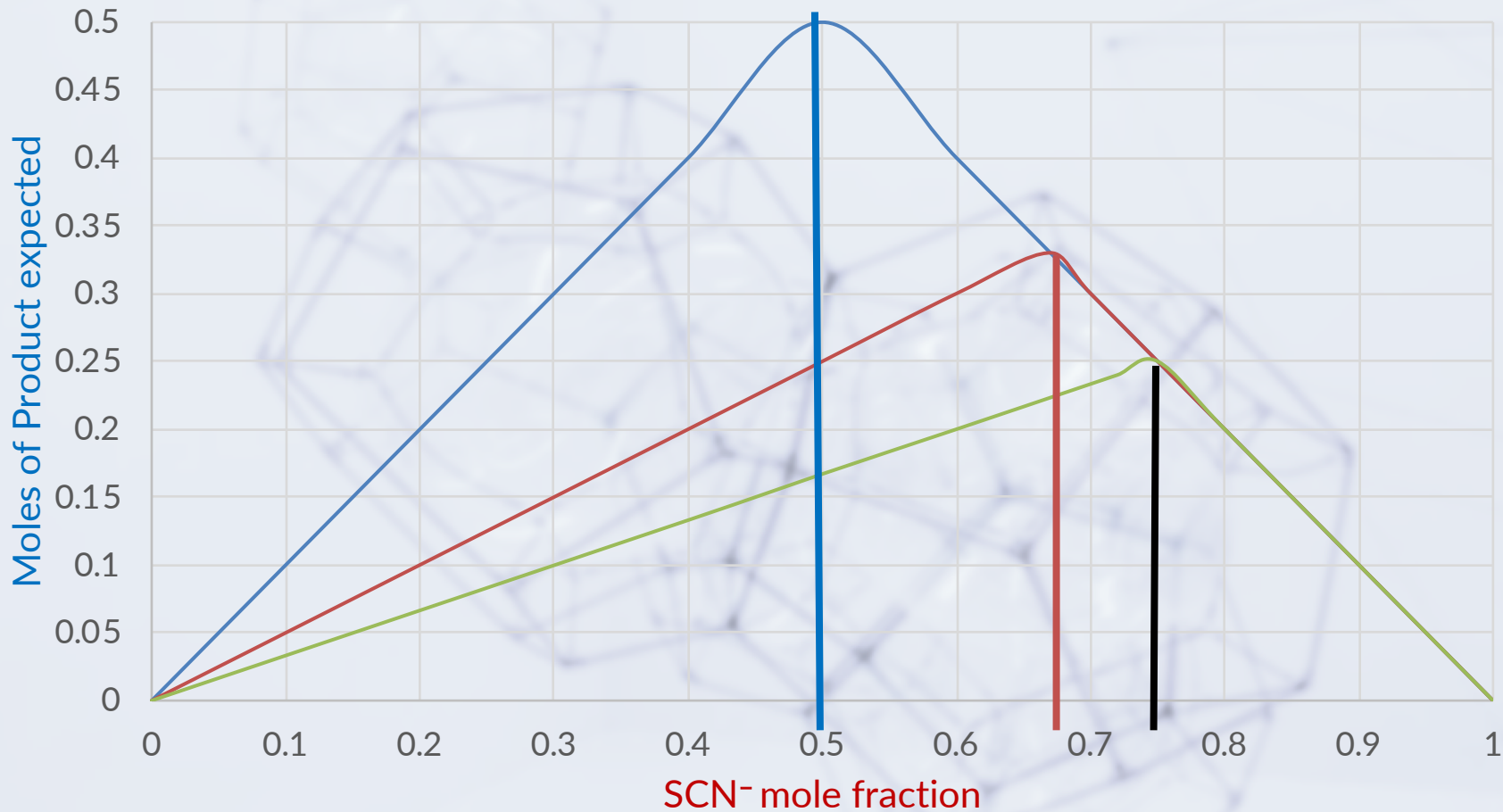
If the product is a 1:2 complex ($x = 2$), maximum amount of product is formed in solution with mole fraction of $\text{SCN}^- = 2/3$



If the product is a 1:3 complex ($x = 3$), maximum amount of product is formed in solution with mole fraction of $\text{SCN}^- = 3/4$

This prediction “always” holds true

EXPECTED RESULT



PART 3: CONSTANCY OF THE VALUE OF K (INDEPENDENT OF INITIAL CONCENTRATIONS)

Can you write the expression for K for this reaction?

How can we determine the three needed concentrations?

Determine $[\text{Fe}(\text{SCN})^{2+}]_{\text{eq}}$ experimentally using Beer-Lambert Law

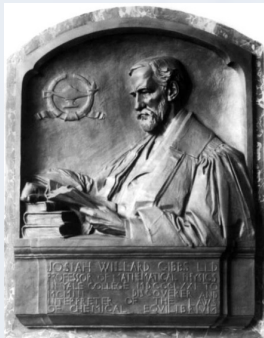
Apply atom conservation (material balance) to calculate:

$[\text{Fe}^{3+}]_{\text{eq}}$ and $[\text{SCN}^-]_{\text{eq}}$

For example:

$$[\text{Fe}^{3+}]_{\text{eq}} = [\text{Fe}^{3+}]_0 - [\text{Fe}^{3+}]_{\text{consumed}} = [\text{Fe}^{3+}]_{\text{eq}} = [\text{Fe}^{3+}]_0 - [\text{Fe}(\text{SCN})^-]_{\text{eq}}$$

PART 4: EQUILIBRIUM CONSTANT AND TEMPERATURE



$$\Delta G^\circ = \Delta H^\circ - T\Delta S^\circ$$

Gibbs Relation
Yale

$$\Delta G^\circ = -RT \cdot \ln(K)$$

Van't Hoff Equation

Plot of $\ln(K)$ vs. $1/T$ is expected to linear.

$$\text{SLOPE} = -\Delta H^\circ/R$$

$$\text{Y-INTERCEPT} = \Delta S^\circ/R$$

In part 3, what is the role of KNO_3 ?

NOTES

1. Part 1: three solutions (1-3)
Part 2: nine solutions (A-I)
Part 3: five solutions (J-M; *save L or M*)
2. Part 1: Beer-Lambert plot – accuracy grade
→ Pipet and syringe with care
→ Avoid contamination and/or mislabeling
3. Calibrate the digital thermometer in ice + water mixture
4. Part 4: measure absorbance and temperature
→ Try to measure them “simultaneously”
→ Data collection duration (< 20 sec)
→ 4/5 temperatures below room temperature
→ 5/6 temperatures above room temperature

Make solutions first,
then take spectra!

10+ temperatures total